MATRICULATION AND SECONDARY EDUCATION CERTIFICATE EXAMINATIONS BOARD UNIVERSITY OF MALTA, MSIDA

MATRICULATION EXAMINATION INTERMEDIATE LEVEL MAY 2014

SUBJECT:	PHILOSOPHY
DATE:	27 th May 2014
TIME:	4.00 p.m. to 7.00 p.m.

Directions to Candidates

Answer THREE questions in all, ONE from EACH section. Questions carry equal marks.

Section A: Logic

- 1. (a) (i) What is meant by saying that the implication A < B is valid?
 - (ii) What is meant by saying that the equivalence A >< B is valid?
 - (b) (i) How many interpretations of the following formula are models of it: $\neg (B \land \neg B)$?
 - (ii) What is the name given to this kind of formula?
 - (c) Express the following propositions symbolically:
 - (i) If Theresa went roller-skating, then she had booked.
 - (ii) Theresa went roller-skating only if she had booked.
 - (iii) Theresa did not go roller-skating unless she had booked.
 - (iv) Theresa neither went karting nor roller-skating.
 - (d) Translate symbolically the following argument and, by using truth-tables, check whether the implication involved is valid. Give a reason for your answer.

If it is spring time then the tulips are in bloom.

The tulips are not in bloom. Therefore it is not spring time.

- (e) (i) Write down the truth-table of the formula "Either A or B".
 - (ii) A formula which is implied by "Either A or B" has one of four truth-tables. Write down these four truth-tables.
- (f) Fill in the blanks:
 - (i) $\neg (A \land B) ><$ ____ is valid (de Morgan's)
 - (ii) $\neg (A \land B) < \neg A \lor \neg B <=>$ is admissible (duality principle)
 - (iii) A \rightarrow (B \vee C) >< _____ is $\overline{\text{valid (contraposition)}}$
 - (iv) $A < (B \lor C) \le$ is admissible (transportation)

Please turn the page.

- 2. (a) By means of an example explain in **not more than 10 lines** how it is possible for one to assert $\neg(a \land b)$ without being able to assert one of $\neg a$ and $\neg b$.
 - (b) How would you introduce the conjunctor (\land)?
 - (c) Translate symbolically the following argument and, using truth-tables, check whether the implication involved is valid. Give a reason for your answer.

 If Christina is hungry then she cooks a meal or buys a take-away. Therefore if Christina is hungry and does not buy a take-away then she cooks a meal.
 - (d) Which, if any, of the following implications are valid?
 - (i) $A \rightarrow B$, A < B
 - (ii) $A \rightarrow B$, B < A
 - (iii) $A \rightarrow B$, $\neg A < \neg B$
 - (iv) $A \rightarrow B$, $\neg B < \neg A$
 - (e) What conclusion, in words, can be derived when the transitivity of if...then (→) is applied to the following two premises:
 If there is no electricity then the fridge does not work. If the fridge does not work, the food goes bad.
 - (f) (i) Fill in the blanks:

$$A \land (B \land C) ><$$
_____(\(\lambda\) is associative)
 $A \land (B \land C) ><$ _____(\(\lambda\) is self distributive)

(ii) Use one of the above equivalences to simplify, in words, the proposition: Karl and Mark are playing cards and Karl and Andrew are playing cards.

Section B: Ethics

- 3. 'Treat the Earth well. We do not inherit the Earth from our ancestors; we borrow it from our children.' Discuss.
- 4. Can war ever be justified? Give reasons for your answer.

Section C: History of Philosophy

- 5. How does Aristotle analyse the phenomenon of change? *Aristotile kif janalizza l-fenomenu tal-bidla?*
- 6. A key component of the philosophy of Plotinus is his theory of emanation. Explain this theory. Komponent fundamentali fil-filosofija ta' Plotinu hi t-teorija tal-emanazzjoni. Fisser din it-teorija.