

MATRICULATION AND SECONDARY EDUCATION CERTIFICATE EXAMINATIONS BOARD
UNIVERSITY OF MALTA, MSIDA
MATRICULATION EXAMINATION
INTERMEDIATE LEVEL
SEPTEMBER 2014

SUBJECT:	PHILOSOPHY
DATE:	5th September 2014
TIME:	4.00 p.m. to 7.00 p.m.

Directions to Candidates

Answer **THREE** questions in all, **ONE** from **EACH** section. Questions carry equal marks.

Section A: Logic

1. (a) (i) What is meant by an **interpretation** of a formula?
(ii) What is meant by a **model** of a formula?

- (b) (i) How many interpretations of the following formula are models of it: $A \vee \neg A$?
(ii) What is the name given to this kind of formula?

- (c) Express the following propositions symbolically:
 - (i) Sarah went scuba-diving only if she had booked.
 - (ii) Sarah went scuba-diving if she had booked.
 - (iii) Sarah went scuba-diving if and only if she had booked.
 - (iv) Sarah and Philip went scuba-diving but Peter did not.

- (d) Translate symbolically the following argument and, by using truth-tables, check whether the implication involved is valid. Give a reason for your answer.
If it's a leap year then the Olympic Games are held.
It is a leap year. Therefore the Olympic Games are held.

- (e) (i) Write down the truth-table of the formula "A if and only if B".
(ii) A formula which implies "A if and only if B" has one of four truth-tables.
Write down these four truth-tables.

- (f) Given that for any proposition of the form $P \rightarrow Q$, the inverse is $\neg P \rightarrow \neg Q$, the converse is $Q \rightarrow P$ and the contrapositive is $\neg Q \rightarrow \neg P$;
 - (i) translate the following proposition symbolically:
If Karla finishes her exams, she will go abroad.
 - (ii) give in words the (1) inverse (2) converse and (3) contrapositive of the above proposition.

Please turn the page

2. (a) In **not more than 10 lines**, explain what is meant by *a complete system of junctors*, giving an example of one such system.
- (b) How would you introduce the subjunctive (\rightarrow) ?
- (c) Translate symbolically the following argument and, by using truth-tables, check whether the implication involved is valid. Give a reason for your answer.
 If Mark is a footballer and he trains regularly then he does well in his sports. Therefore if Mark is a footballer and he does not do well in his sports then he does not train regularly.
- (d) If formula P is subcontrary to formula Q, the implication $\neg P \rightarrow Q$ is valid.
 By means of truth-tables find out whether:
 (i) $a \wedge b$ is subcontrary to $a \vee b$
 (ii) $a \wedge \neg b$ is subcontrary to $\neg a \vee b$.
- (e) What conclusion, in words, can be derived when the transitivity of *if...then* (\rightarrow) is applied to the following two premises:
 If I go to the beach, I meet my friends. If I meet my friends, I have fun.
- (f) (i) Using truth-tables find out whether the implication
 $A \vee (\neg B \wedge \neg C) \rightarrow (A \vee \neg B) \wedge (A \vee \neg C)$ is valid.
 (ii) State the Duality Principle.
 (iii) Dualise the implication in (i) above.
 (iv) Use the Duality Principle only to find out whether the answer to (iii) above is valid.

Section B: Ethics

3. Discuss the distinction between 'ordinary' and 'extraordinary' treatment at the end-of-life decision-making process.
4. Who or what is the human embryo?

Section C: History of Philosophy

5. Outline the main characteristics of philosophy as it emerged in the 6th century BC.

Agħti l-karatteristiċi ewlenin tal-filosofija kif bdiet fis-sitt seklu qabel Kristu.

6. Explain Plato's theory of Forms.

Fisser it-teorija tal-Ideat ta' Platon.